UNIT-9 CHEMICAL KINETICS

Important Points

ñ Chemical Kinetics: The branch of chemistry which deals with the study of the rate of reaction and the factor affecting them.

Kinetics - Greek word 'kinesis' = movement

- ñ classification of reaction on the basis of rates:
	- Very fast reaction : ionic reactions (10-9 sec)
	- very slow reaction : rusting of iron, radiation from uranium. \bullet
	- Slow reaction: reaction by combining dinitrogen and dihydrogen under certainconditions.

ñ **Factors Affecting rates of Reaction:**

- The state of substance and the area of surface (i)
- (ii) concentration of solution. temperature of system. (iii)
	- Effect of catalyst (v)
- (iv) Pressure of system (vi) Presence of light

(If there is any impurity which tries to decrease the rate of reaction then it is called catalytic poison)

ñ Rate of Reaction:

The rate of reaction is the change in the concentration of any one of the reactants or products per unit time.

Average rate of reaction

$$
rav = -\frac{D[R]}{Dt} = +\frac{D[P]}{Dt}
$$

Instantaneous Rate of Reaction

$$
rinst = -\frac{d[R]}{dt} = +\frac{d[P]}{dt} \text{ as } D \text{ t} \text{ }^{\circ} \text{ } 0
$$

Rate of reaction is always positive. The minus sign is used simply to show that the concentration of the reactant is decreasing.

ñ Rate determination:

In the reactions the stoichiometric coefficients may be different. Rate of reaction can be determined but the determination must be consistent. In chemical kinetics, the following method is accepted.

Rate =
$$
-\frac{1}{V_R} \frac{\acute{e}d[R]\dot{u}}{\acute{e}dt} = +vp \frac{\acute{e}d[P]\dot{u}}{\acute{u}}
$$

For any reation $n1A + n2B$ ® $n3C + n4D$ \bullet

Rate=
$$
-\frac{1}{n_1}\frac{d[A]}{dt} = -\frac{1}{n_2}\frac{d[B]}{dt} = -\frac{1}{n_3}\frac{d[B]}{dt} = -\frac{1}{n_1}\frac{d[C]}{dt} = \frac{1}{n_1}\frac{d[D]}{dt}
$$

$$
5Br_{(aq)} + BrO-3_{(aq)} + 6H_{(aq)}^+ \square 3Br_{2(aq)} + 3H2O(\square)
$$

$$
\text{Rate} = -\frac{1d}{5} \frac{\dot{g}_{Br}}{dt} = -\frac{d \dot{g}_{B}^{2} B^{2} \dot{g}}{dt} = -\frac{1d}{6} \frac{\dot{g}_{H}^{2} \dot{g}}{dt} = +\frac{1}{3} \frac{d[B]^{2}}{dt}
$$

- In aqueous solution, there is negligible change in concentration of water and so the change in its concentration is not expressed.
- Rate Law : ñ
	- The presentation of the rate of reaction with reference of concentration of reactants is called rate law.
	- This rate law in the wide range of concentration of reactants or products is studied and the law that is established is called 'differential rate equation' or 'Rate expression'. Viz •

$$
H_{2(g)} + I_{2(g)} \square 2HI_{(g)}
$$
 Rate=K [H] J

- Rate constant and order of Reaction : ñ
	- In most of the reaction carried out, the simple rate equation can be obtained in which rate is proportional to exponents of the concentration of reactant. The exponent is called order of reaction.

- Where K is rate constant and it is called specific rate constant when concentration of reactant is 1 M. At that time reaction rate = rate constant.
- It is necessary to note that the order of reaction has no relation with the stoichiometric cofficient of reactant.
- For the reaction $n1A + n2B \Pi n3C + n4D$
	- $Rate = k [A]x[B]y$
	- Order of reaction with reference to reactant A is x and with that of reactant B is y. Hence total order of reaction = $x + y$. Thus the total order of reaction is equal to the sum of exponents of concentration of all reactants.
	- 5Br- + BrO- $\frac{1}{3}$ 6H+ $13Br2 + 3H2O$
	- Rate = K [Br-][BrO-][H+]2 3
	- Order of reaction = $1 + 1 + 2 = 4$
	- The total order of reaction can be positive, zero or even a fraction
	- Examples of different order.
	- (I) 2NH 3(g) $3/4\%$ [®]N2(g)+3H2(g) Rate=k[NHo 3]
	- (ii) H2O2®H2O+O $\frac{1}{2}$ •

Rate=k[H2O]

- (iii) $2NO2+ F_2$ ® $2NO2F$ $_{\rm Rate}\,$ = k [N Ω }[] Rate=k $\begin{bmatrix} 1 & 0 \\ 0 & 0 \end{bmatrix}$
- (iv) $2NO + O_2$ [®] $2NO_2$
- (v) CH ÇHO ® CH 4+CO
- (vi) CO $+Cl_2$ [®] COCl₂ $Rat_{\bar{e}}$ k \oint O $]^2$ $[Cl_2$
- Unit of Rate constant ñ

$$
Rate = \frac{dx}{dt} = k (con)n
$$

 $n \binom{n}{r}$ $K = \frac{dx}{dt} \cdot \frac{1}{\sqrt{2.2}}$ (conc) conc $\frac{1}{\text{time}}$ (conc) $\left(K = \frac{d}{dt} \right)^2 + \frac{1}{2}$

 $Rate = k[CH 3CHO]^{1.5}$

 $[C1]$ ₂ $]^{1.5}$

ñ

- The number of atoms, ions or molecules of the reactant that take part in the reaction and which experience collision with each other so that the reaction results, it is called molecularity
- Hence, the orders of reactions and molecularities of bimolecular, trimolecular and elementary reaction are same. •
- The possibility of collision of three or more molecules with one another and to result in the reaction is less. •
- The molecularity more than three is not seen. ñ

- Zero order reaction : ñ
	- The rate of the reaction is proportional to zero exponent of the concentration of reactant.

$$
-\frac{-d[R]}{dt}k[]\Box R \quad \{ [R] = \kappa.t + [R] \}
$$

- Graph of [R] versus t then straight line. Slope = - k and intercept = [R]o
- First order reaction : ñ
	- The rate of the reaction is proportional to exponent one of concentration of reactant.

$$
-\frac{d[R]}{dt}k[R] \qquad \text{kt} = \ln \frac{[R]}{[R]}
$$

[R] = [R], e^{-kt}
log[R] = -2.303.t + log[R]

Graph of $log[R]$ t versus t then straight line.

Slope=-
$$
\frac{K}{2.303}
$$
 and intercept = log[R]_o
 $t_{\frac{1}{2}} = \frac{0.693}{k}$

- Pseudo unimolecular or Pseudo first order reaction : ñ
	- Those reaction which are not truly of the first order but under certain conditions become reactions of the first order. Examples : (i) Hydrolysis of ethyl acetate. (ii) Hydrolysis of cane sugar.
- Determination of order of reaction : ñ
	- Methods: (i) Intial rate method
		- (ii) Integrated rate equation method or Graphical method
		- (iii) Half life method
		- (iv) Ostwald's isolation method
- Ostwald's Isolation method : ñ
	- In certain reaction there is involvement of more than one reactants. In this method, the concentration of other reactants in comparison to one reactant is taken in very large proportion. The reaction rate will be indicative with respect to reactant with less concentration because the concentration of other reactants remain almost constant.
- Half life method : ñ
	- The time taken for half of the reaction to complete.
	- It is very simple method.

- For zero order reaction $\text{ta}_{2}^{1}[R]$ _o \bullet
- first order reaction $t\mathcal{V}2$ is independent of initial concentration
- second ord er reaction t $1/2$ a $[R]$ ¹ nth order reaction

$$
\mathsf{t} \mathcal{V} \mathsf{a} \big[\mathsf{R}_{\mathsf{o}}^{\mathsf{1} \mathsf{1} \mathsf{n}} \mathsf{or} \mathsf{t} \mathsf{A} \mathsf{a} \frac{\mathsf{1}}{\left[\mathsf{R} \right]_{\mathsf{o}}^{\mathsf{n} \mathsf{-1}}}
$$

ñ Arrhenius equation:

K=A.e-
$$
Ea/RT
$$

\n $log k = logA - \frac{Ea}{2.303R} \frac{1}{T}$
\nGraph of log K versus $\frac{1}{1}$ = straight line
\nSlope = $-\frac{Ea}{2.303R}$
\n $log K\frac{2}{K^2} = \frac{Ea}{2.303R} \frac{e^{2}}{e^{2}} - \frac{1}{T_{2}} \frac{u}{u} = \frac{Ea.DT}{2.303 R.T_{1}.T_{2}}$

- ñ Threshold energy:
	- Arrhenius equation shows that rate constant increases exponentially with temperature. \bullet
	- Increasing temperature from 300 to 310 K, the Kinetic energy increases only by 3% because \bullet it is proportional to temperature.
	- The reaction rates have almost doubled by increase in temperature by 10 K.
	- The explanation for this can be given that there must be some pushing energy or threshold energy required for the reaction of molecules.

ñ Arrhenius factors:

Both A & Ea= Arrhenius factors

ñ Theory of collision :

- Max Trauz and William Lewis (1916-18) = Theory of collision.
- In Chemical reaction, the number of collision per second per unit volume is called collision \bullet frequency (z).

- For biomolecular reaction $A + B$ ® Products
- $Rate$ = Z $_{AB}$ \cdot e-Ea/RT
- $Rate = P.Z$ $_{AB}$ $\cdot e$ -Ea/RT
- Z AB = collision frequency of A and B whose energy is equal to or more than activation en er gy.
- P = Probability factor OR steric factor •
- Those collision in which molecules collide with sufficient kinetic energy (threshold energy) and proper direction, resulting into products. Such collision are called effective OR fruitful •
- Endothe *Winigheaction* and Exothermic reaction. ñ
	- Minimum potential energy of reactants is less than that of products then the reaction will be the endothermic.
	- Minimum potential energy of reactants is more than that of products then the reaction will be exothermic. •
	- Endothermic reation : $DH = HD-Hr = +ve$ •
		- $DH = Ea-Ear = +ve$ when $Ea > Ear$
	- Exothermic reaction : DH = Hp-Hr = -ve
		- $DH = Ea-Ear = -ve$ when $Ea < Ear$
	- Where $Ea =$ activation energy of forward reaction
		- Ear = activation energy of reverse reaction
- Effect of catalyst : ñ
	- The main function of catalyst is decrease the activation energy, bring energy barrier down and increases the rate of reaction.
	- Equilibrium constant (K) is not changed. •
	- Rate of reaction increases. •

M .C.Q.

- 1. Rate of reation is defined as
	- (a) decrease in the concentration of a reactant
	- (b) increase in the concentration of a product

(c) change in the concentration of any one of the reactants or products per unit time.

- (d) all the above three are correct
- 2. $2A + B$ ® 3C for the reaction instant rate of reaction is...

(a)
$$
+\frac{1}{2}\frac{d[A]}{dt} = + \frac{1}{4}\frac{d[C]}{dt}
$$

\n(b) $-\frac{1}{2}\frac{d[A]}{dt} = - \frac{d[B]}{dt} = + \frac{1}{3}\frac{d[C]}{dt}$
\n(c) $+\frac{d[A]}{dt} = + \frac{d}{dt}\frac{d}{dt} = + 3\frac{1}{4}$
\n(d) $-\frac{2}{4}\frac{d[A]}{dt} = - \frac{1}{4}\frac{1}{4} = + 3\frac{1}{4}$
\n(b) $-\frac{1}{2}\frac{d[A]}{dt} = - \frac{d[B]}{dt} = + \frac{1}{3}\frac{d[C]}{dt}$

- 3. The rate of reaction of spontaneous reaction is generally very slow. This is due to the fact that.. (a) the equilibrium constant of the reaction is $<$ 1
	- (b) the activation energy of the reaction is large
	- (c) the reaction are exothermic
	- (d) the reaction are endothermic
- 4. N2 + 3H2I 2NH3 For the reaction the rate of change of concentration for hydrogen is -0.3 x 10-4Ms-1. The rate of change of concentration of ammonia is ...
- 5. (a) $0.2 \div 10^{-4}$ (b) $-0.2 \div 10^{-4}$ (c) $0.1 \div 10^{-4}$ (d) $0.3 \div 10^{-4}$ For the reaction of $4A + B$ ® 2C + D. Which of the following statement is not correct? (a) The rate of formation of C and D are equal
	- (b) The rate of formation of D is one half the rate of consumption of A
	- (c) The rate of appearance of C is one half the rate of disappearance of B
	- (d) The rate of disappearance of B is one fourth of the rate of disappearance of A
- 6. ______ does not affect the rate of reaction. (a) size of the vessel
	- (c) physical state of reactants (b) amount of the reactants (d) DH of reaction
- 7. In the reaction N 2O4(g) ® 2NO2(g) the pressure of N2O4 falls from 0.5 atm to 0.32 atm is 30 minutes, the rate of appearance of NO 2(g) is
	- (a) 0.012 atm min-1 (b) 0.024 atm min-1 (c) 0.006 atm min-1 (d) 0.003 atm min-1
- 8. In the reaction K1 and K2 are the velocity constants for the forward and backward reaction respectively. The equilibrium constant is

(a) K=K1
$$
\bigg/ K_2
$$
 (b) K=K

$$
K_2
$$
 (b) K=K 1' K2 (c) K = K_2
K1

(d) none of the above

9. For the reaction A + B + C $^{\circ}$ Products, Rate = K[A]2[B]3[Ć]. The order of reaction is

(a) 3
\n(b) 1
\n(c)
$$
\frac{5}{6}
$$

\n(d) $\frac{11}{6}$
\n10. For a reaction pA + qB[®] Products. Rate = K[A]m[B]n. Then
\n(a) (p+q) = (m+n)
\n(b) (p+q) ¹ (m+n)
\n(d) (p+q) = (m+n) or (p+q) ¹ (m+n)

$$
217
$$

68. 75. 76. 70. 71. 72. 73. 74. 77. 78. 69. (a) $\frac{kn}{k1}$ (b) ∏nk=^{[]nA-Ea} Which of the following is the expression for Arrhenius equation ? 1
1= 1 1 (a) $\frac{k}{1} > \frac{k}{1}$ (b) $\frac{k}{1} < \frac{k}{1}$ (c) $\frac{k}{1} = \frac{k}{1}$ (d) $\frac{k_1^2}{1} = \frac{k_2^2}{1} = 0$ 2 The $\frac{1}{1}$ ate $\frac{\partial f}{\partial r}$ reaction 2x + y $\frac{1}{4}$ Pro $\frac{\partial}{\partial u}$ cts. Rate = K[x] $\frac{1}{2}$ [y]. If x is present in large excess, the orde \ast of t \ast e reaction is \qquad k k (a) 3^1 2 (b) 2^1 2 (c) 1^1 (d) 0 CH 3COOEt + H2O $34H34+$ [®] CH3COOH + Et OH. Order of reaction is ... (a) 0 (b) 1 (c) 2 (d) 3 In which of the following cases, does the reaction go farthest to completion ? (a) K = 100 (b) K = 10-2 (c) K = 10 (d) K = 1 (c) $k=$ A.e^{-Ea} (d) All the above 1 The Plot of log K vs 」
(a) Activation energy (c) Reaction order helps to calculate (b) Rate constant (d) Activation energy and frequency factor At 290 K velocity constant of a reaction was found to be 3.2 ´ 10-3. At 300 K, it will be (a) 1.6 ´ 10-3 (b) 6.4 ´ 10-3 (c) 3.2 ´ 10-4 (d) 3.2 ´ 10-2 The increase in reaction rate as a result of temperature rise from 10 K to 100 K is ... (a) 512 (b) 614 (c) 400 (d) 112 At 300 K rate constant is 0.0231 min-1, for a reaction. Bt at 320 K rate constant is 0.0693 min-1. The activation energy of the reaction is (a) 84 KJ mole-1 (b) 34.84 KJ mole-1 (c) 43.84 KJ mole-1 (d) 30 KJ mole-1 The activation energy of a reaction is 9 Kcal mole-1. The increase in the rate constant when its temperature is raised from 295 to 300 K is approximately (a) 1.289 times (b) 12.89 times (c) 0.1289 times (d) 25% A reactant A forms two products. (i) A $34k^341^\circ$ B activation energy E (ii) A $34k342^{\circ}$ C activation energy $\frac{1}{2}$ If E2 = 2E1 then K1, and K2 are related as (a) K=K.eE1 \angle (b) K=K.eE2 \angle (c) K=AK.eE1 \angle (d) K1=2K2.eE $_2$ π (b) K=K.eE2 π (c) ^{K=AK.eE1} π (d) K1=2K2.eE
RT 2 1 $/RT$ 2 1 $/RT$ (c) 1 2 $/RT$ 7 $/RT$ The activation energys of two reaction are EI and $E2$ (E1 > E2). If the temperature of the system is increased from Tto T, the ra $\;$ te constant of the reaction changes from K1 to K2 $^{\rm 4}$ n the first reaction and Kto $K1$ 2 in second reaction, predict which of the following expression is correct? k12 k1 Eaæ1 $=\frac{\overline{a}}{a}$ RèT1 1 $-\frac{1}{12}$ ö ÷ ø 1 1 2 k 1 k 1 k 1 2 k 1 k (c) 1^1 $=$ UnA-Ea χ RT k k k k

6

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ANSWER KEY

Hi nts

1. Defination of the rate of reaction

5 . 6 . 7 . 2. 3. 4. 8. 9. 10. 11. 12. 13 . 14 . 15 . Hence $K = K$ 1/K2 DH of reaction 0.012 atm min 1 the activation energy of the reaction is large $0.2 \t10 - 4$ $\frac{[H2]}{[H2]}$ - 0.310Ms $\frac{1}{4}$ Byt Rate = - $\frac{1}{2}$ But Rate=-223 $(p+q) = (m+n)$ or $(p+q)$ ¹ $(m+n)$ $Rate = K[A][B]2$ Keeping [B] constant, [A] is made a 4 times, rate also become 4 times. Hence rate <code>a</code> [A] Keeping [A] constant, [B] is doubled, rate becomes 4 times. Hence rate a [B]2 η rate = K[A][B]2 rate = $K[A]2$ [A] doubling, rate becomes four time. Hence rate a [A]2 [B] doubling, no effect on the rate. Hence rate a [B]0 η rate = K[A]2[B]0 concentration of reactants temperature is changed $H + Cl \frac{3}{4}\%$ [®] 2HCl d [H dt $-\frac{1}{2}\frac{d[A]}{h}$ 2 dt d[B] dt 1 d[C] 3 dt - <u>d[Ŋ</u>O4
- dt $\underline{\mu}$] $_{-}$ $_{+}$ $\underline{\underline{1}}$ d[NQ] 2 dt $\underbrace{(0.32-0.50)}_{0.006} = 1$ d[NO] 30 2 dt 0.310Ms -1 Byt Rate = $-\frac{1}{2}$ $\frac{d[12]}{d}$ 3 dt $\frac{d[NH3]}{dt}$ $\frac{2}{3}$ $\frac{d[H]}{dt}$ = - $\frac{2}{3}$ (-0.3 $'$ 1004) \pm 0 $1 d[A]$ d[B] $1 d[C]$ d[D] dt = - = + = + 4 dt dt 2 dt d[NO2] $-\frac{(0.52 \cdot 0.006}{30} = 0.006 = \frac{1}{2} \frac{d_1 \cdot 1}{dt}$ \ $\frac{d_1 \cdot 1}{dt} = 0.012$ atm min -1 $= + \frac{1}{2} \frac{d[NH]}{m}$ 2 dt 0.2´10-4 \- $= -\frac{1}{2} + \frac{1}{2}$ $\frac{1}{6}$ Rate = k [Å []A]^{1/3} [] 1 C $\frac{1}{6}$ Rate = k [Å []A][%] [] 1c \Orderof reaction= $\frac{1}{2}$ 2 1 3 1 1 11 6 $+ + + - =$ 2 2 ® 2HBrH +Br 2 2

16 .

27. 25 28. 26 29. 30. 31. 17 . 18 .19. 20 . 21 . 22 . 23 . 24 . . . $\frac{1}{4}$ (1)r = k[] m(2A) 2r = k16A] n halved Unimolecular reaction any value between 1 and 3 k2 éA Ù 2 cocentration increased = 10 times rate increased = 102 times \setminus Order = 2 r = K[A]2 [B] $(i)r=k[A]^s[B]$ (ii)8r = k[2 $A \times 2B$]y (iii)2r = k[$A \times 2B$]y four times rateaB] 8x V 1 = k4] 2B}=xV2=k[2A][2B]\V2=8x OO \No I 2 in the rate law equation. rate of zero order reaction is independent of the concentration of the reacting species many bady collisions have a low probability rate = $K [A][B]2$ Rate of reaction for slowest step 1.5 From slowest step r α e \neq k B From 1st eq. Keq=[A2 χ ₀) [A]=keq2.[2] 1 $\mathcal{A}[\mathsf{A}\mathsf{2}]$ $[\mathsf{A}]$ =keq̃2.[A A rate = K[B]k̥eq2*{A]2=k̥×keq2 $\stackrel{1}{\cancel{}}$ [A2]2[́B2] = K1[A2]2[B2 $\stackrel{1}{\cancel{2}}$ C ® D is lowest 1 3 $=\frac{1}{2}k[A][]2B$ 1 2 x''=ニ x' [2r r k1 A 2 A \mathbf{f} $=\frac{KA[\]^n \beta n}{\sqrt{n}}$ K A Or 2 = (8)n\ n = $\frac{1}{2}$ $2 = 16n \ n = \frac{1}{4}$ 4 3 é =ê ë ù ú û |
|
| $\frac{1}{\sqrt{2}} \int_{0}^{\pi} \frac{\theta n}{n}$ \ 2=16n\ n = $\ln n =$ 2r = KA]n16n rate '= k \upharpoonright B] 2 ate '= $\mathsf{k4}$ Aê $\lg_2^2 \mathsf{R}_0^2$ ù χ ''=. [] (iii), (i) $\underset{x}{\omega_2}$ $\underset{x}{\omega_3}$ = 2 \ \rightarrow 1 (ii) \angle (i) \angle \angle = 4 \times = 2

32. mole litre⁻¹ sec⁻¹ rate = K[R]r_F =
$$
\frac{ma}{IR}
$$
 = $\frac{M}{M}$ h_F = 0
\nK = M1-hS-1| K = My
\n33. zero order K = $\frac{rate}{[R]} ln K =$ rate, when n = 0
\n34. 2 K = $\frac{rate}{[R]} = \frac{bar/s}{bar}$ when n = 2 k = bar⁻¹S⁻¹
\n35. time and square of concentration
\nK = $\frac{rate}{[R]} = \frac{M/S}{Mn} = M1$ -nS- when n = 3 k = litres mole-1 min-1
\n36. 4 K = $\frac{rate}{[R]} = \frac{M}{M}$ m⁻¹ m

 $\ddot{}$

72. 43.84 Kj mole
$$
\frac{1}{10} \times \frac{K}{2.303R \cdot e} = \frac{Ea}{1172} - \frac{10}{9}
$$

\n $\frac{2.303 \cdot 8.3}{694R \cdot e} = \frac{1000 \cdot 6}{9}$
\n $\frac{9.069}{1023} = \frac{2.303 \cdot 8.3}{6} \times \frac{20}{9}$
\n $\frac{1}{10023} = \frac{1000 \cdot 6}{9}$
\n $\frac{1}{10023} = \frac{1000 \cdot 6}{10023}$
\n $\frac{1}{1008} = \frac{1000 \cdot 6}{10023}$
\n $\frac{1}{1008} = \frac{1000 \cdot 6}{10023}$
\n $\frac{1}{1008} = \frac{1000 \cdot 6}{10023}$
\n73. 1.289 times $\frac{10}{108} = \frac{K}{12} = \frac{Ea}{1289}$ K2=K1'1.289
\n74. K1=K2 A.e¹⁵/r
\nK1=K2 A.e¹⁵/r
\nK2 = A. e¹⁵/r
\nK1=K2 A.e¹⁵/r
\nK2 = A. e¹⁵/r
\nK1=K2 A.e¹⁵/r
\nK2 = A. e¹⁵/r
\nK1 = K2 A.e¹⁵/r
\nK2 = 2.303R \cdot 6e + 1172 \cdot 6e¹⁵/r
\nK3 = 2.303R \cdot 6e + 1172 \cdot 6e¹⁵/r
\nK4 = 2.4. e¹⁵/r
\nK5 = 1.4. e¹⁵/r
\nK6 = 1.5. e¹⁵/r
\nK7 = 1.4. e¹⁵/r
\nK8 = 1.6. e¹⁵/r
\nK9 = 1.6. e¹⁵/r
\nK1 = 1.6. e¹⁵

86 . 87 . 88 . 89 . 90 . 91 . 92 . . 93 96 . 94 97 98. . 95 . . 99. 100. 2(n – m) r^1 = kan bm $r1 \pm k(2a)$ $\frac{ab}{2a}$ 101. 0.25 h For Zero order reaction $K = \frac{1}{2412} = \frac{2}{24} = 1$ moll-1 hr-1 third order 2, 1₂ litre mole–1 sec–1 increase four times 4 Rate=K[A]\ 2, 2 CH ÇOOC H5 → NaOH ® CH3COONa +C2H5OH 2K1[NO2] -**2**K N2O for 2N02_{k12}001204 K E Sec–1 mole–1 L \ Second order reaction 16 $\frac{1}{1}$ Volume of the vessel is reduced to one foreth Concentration bocomes 4 ttimes 1 become 1.414 times Rate=KY Z2 1 \NewRate=2.kYZ2 = 1.414 K[[][][][]][Y Z] 1 2 N2O5 N2O4 1 $^{\circ}$ N2O4+ $\frac{1}{2}$ O₂ $rate = K[2A42.K[A]2$ 2 =kan bm r1 \pm k $(2a)_{c}^{\text{sub}}$ ç è m ö ÷ ø r r 1 T 2n an bm aanbm $\frac{11}{1}$ = $\frac{2n \text{ an bm}}{1}$ = 2n.2^m = 2(n-m) 2] \int_{0}^{1} =2K $\sin \phi$ ₂[]]²-2K Ω 2 σ 4] $1\!\!\!\downarrow$ b $_2$]² -K2 $[$ 120 4] Rate=- $\frac{1}{2} \frac{d[ND]}{dt}$ K 1 p $\text{rate} = \frac{-d[MQ]}{dt} = 2K M\Phi$ ₂ 2 dt dt -K2 N2O -2K N2O 1 $=$ $\frac{2n \text{ an bm}}{1}$ $=$ $2n.2^m$ [A]o 2t12 $\frac{2}{1}$ =1molL-1 hr-2 1 $=\frac{1}{2112}=\frac{2}{2}=\frac{2}{2}=$ $t = \frac{[A] - [A]}{k}$ K 0.50-0.25 1 $=\frac{17.6 \text{ J} \cdot 1.1}{100 \text{ J}} = \frac{0.000 \text{ o} \cdot 20}{4} = 0.25 \text{ hr}$